

Control System Design with Dead Time Compensation for a Multivariable Lime Kiln Process

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Abstract

Lime kiln is used in numerous process industries such as, paper mill, sugar mill, cement mill etc. The limekiln is fundamentally challenging to operate proficiently due to intricate structure with non-linear reaction kinetics, and large dead time. It turns out to be dangerous if it is functioned outside the set points. So, the automation of this process is very critical for optimization of product quality, product rate and economy. The current research work deals with a 2x2 lime kiln model. Having done its multivariable analysis, its decoupling has been done. Using MATLAB, dead time compensation is done with smith predictor design and its performance is compared to that of control system without dead time compensation.

Keywords- Lime Kiln, Dead Time, Multivariable, Smith Predictor, Set-Point Tracking.

1. Introduction

Limekiln is basically cylindrical in shape which rotates. It has got certain inclination to the ground as depicted in Figure 1 (Naud and Emond, 2007). It essentially converts calcium carbonate (mud of lime) into calcium oxide (lime) by the process which is termed as calcination. This transformation procedure has an endothermic nature i.e. a supply of huge heat content is essential to furnish this process.

The whole lime kiln may be viewed as 3 temperature regions viz. the drying region at a temperature of two hundred thirty Fahrenheit, heating region at a temperature of six hundred Fahrenheit and the calcination region at a temperature of fifteen hundred Fahrenheit. The measure of the lime quality is the amount of residual carbon dioxide in the resulting CaO (Sunori et al., 2015). A 2 level controller for tunnel kiln was reported where the model predictive control and fuzzy logic techniques were exploited (Stojanovski and Stankovski, 2011). Zhu and Zhang (2014) presented the knowledge base designing for an expert system for rotary lime kiln. Bharadwaja (2014) made use of PLCs for lime kiln process.





The Fuel Rate (FR) and the opening of ID fan (v_p) are the two input variables while the front end temperature (T_{fe}) and back end temperature (T_{be}) are the output controlled variables for the considered model. The equation (1) presents the considered transfer function model which has been borrowed from the work done by (Juneja et al., 2013) on the same process using MPC technique.

$$\begin{bmatrix} T_{fe} \\ T_{be} \end{bmatrix} = \begin{bmatrix} \frac{12.8e^{-s}}{16.7s+1} & \frac{-18.9e^{-3s}}{21s+1} \\ \frac{6.6e^{-7s}}{10.9s+1} & \frac{-19.4e^{-9s}}{14.4s+1} \end{bmatrix} \begin{bmatrix} F \\ vp \end{bmatrix}$$
(1)

The Figure 2 displays the open loop plots namely step response, Nyquist plot, Bode magnitude plot and pole- zero plot of the considered 2x2 plant. These plots clearly indicate that the plant model is physically realizable and BIBO (bounded input-bounded output) stable. Now, for designing the controller, let's determine the suitable input-output control loop pairing by investigating the relative gain array (RGA).

$$RGA = K * (K^{T})^{-1}$$
⁽²⁾

Here K is the steady state gain matrix.

Let

$$RGA = \begin{bmatrix} \lambda_{11} & \lambda_{12} \\ \lambda_{21} & \lambda_{22} \end{bmatrix}$$
(3)

If $\lambda_{12} < \lambda_{11}$ then suitable pairing is $u_1 - y_1$ and $u_2 - y_2$ else, it is $u_1 - y_2$ and $u_2 - y_1$. For the taken up model,

$$\begin{bmatrix} K \end{bmatrix} = \begin{bmatrix} 12.8 & -18.9 \\ 6.6 & -19.4 \end{bmatrix}$$
(4)

Using equations (2) and (4), the RGA for this plant comes out as,

$$RGA = \begin{bmatrix} 2.0094 & -1.0094 \\ -1.0094 & 2.0094 \end{bmatrix}$$
(5)

The pairing u_1 - y_1 and u_2 - y_2 is suggested by this RGA. The other factor to be investigated is the Niederlinski index (Niederlinski, 1971). If its value comes out to be negative, then it would be impossible to control both output variables at the same time.



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Mathematically,

$$NI = \frac{Det[K]}{K_{11}K_{22}} \tag{6}$$

Now using equation (6) on the considered plant model.

$$NI = \frac{\begin{vmatrix} 12.8 - 18.9 \\ 6.6 - 19.4 \end{vmatrix}}{12.8X(-19.4)} = 0.497$$
(7)

Which ensures the controllability of both output variables at the same time.

3. Decoupler Design

Figure 3 (Ogunnaike and Ray, 1994) presents the block diagram with of a control system with de couplers. Following two outputs are generated by it,

$$y_{1(s)} = \left[g_{11}(s) - \frac{g_{12}(s)g_{21}(s)}{g_{22}(s)}\right] v_1(s)$$
(8)

$$y_{2(s)} = \left[g_{22}(s) - \frac{g_{12}(s)g_{21}(s)}{g_{11}(s)} \right] v_2(s)$$
(9)

The two decoupled systems obtained using equations (8) and (9) are represented by equations (10) and (11) respectively.

$$G_{1}(s) \frac{(2.684*10^{4}s^{2} + 4042s + 123.6)e^{-s}}{7.416*10^{4}s^{3} + 1.478 \times 10^{4}s^{2} + 942.8s + 19.4}$$
(10)

$$G_2(s) = \frac{(-2.684 \times 10^4 s^2 - 4042s - 123.6)e^{-9s}}{4.219 \times 10^4 s^3 + 8810s^2 + 592.6s + 12.8}$$
(11)

4. Dead Time Compensation

The Smith predictor is deployed in the control system for nullifying the unwanted impacts of the dead time. This strategy can be implemented only for constant time delays. The Figure 4 shows the block diagram of Smith Predictor with the plant G(s), controller C(s), internal model G'(s)(G(s) without dead time θ). Here, SP, θ and d, are representing the set- point, time delay and the output disturbance respectively (Smith, 1957; Smith, 1959).



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$$C_1(s) = 0.238 \left(1 + \frac{1}{18.03s} \right) \tag{12}$$

Similarly, for the process $G_2(s)$, the tuned PI controller $C_2(s)$ is presented in equation (13).

$$C_2(s) = -0.13 \left(1 + \frac{1}{15.49s} \right) \tag{13}$$

The first order filter F(s) is expressed in equation (14).

$$F(s) = \frac{1}{(10s+1)}$$
(14)

The servo and the disturbance rejection performance of the control system for system $G_1(s)$, with and without smith predictor is show cased in Figure 5. The respective parameters are presented in Table 1, indicating that the performance is greatly improved. Similarly Figure 6 presents the servo and the disturbance rejection performance of the control system with and without smith predictor, for the system $G_2(s)$.

The corresponding performance parameters are mentioned in Table 2, showing control system performance is appreciably improved here also. Figures 7 and Figure 8 show the Bode plots of the control systems with and without Smith predictor for $G_1(s)$ and $G_2(s)$ respectively showing bandwidth improvement by the Smith predictor.

5. Conclusion

In the present research work, a 2x2 lime kiln industrial process with some time delay is considered, and the control system performance with and without Smith predictor has been investigated for it using MATLAB. It is observed that the adverse effects of time delay are greatly cancelled by dead time compensation using a Smith predictor in the control system. The control system with Smith predictor comes up with less settling and rise time, and quicker disturbance rejection. It also enhances the bandwidth of the control system.











Figure 2. Step response (top left), Nyquist plot (top right), Bode magnitude plot (bottom left), Pole-zero Plot (bottom right)



Figure 3. Control system with de couplers







Figure 4. Control system with Smith predictor



Figure 5. Control system performance for G₁(s)



Figure 6. Control system performance for G₂(s)



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Figure 7. Bode plots of control system for G₁(s)



Figure 8. Bode plots of control system for G₂(s)

Parameter	PI Controller	Smith Predictor
Settling time(sec.)	502	52.5
Rise time (sec.)	274	25.1
Disturbance – Rejection time(sec.)	600	100

Table 1. Comparison of performance parameters for G₁(s)



Parameter	PI Controller	Smith Predictor
Settling time(sec.)	483	59.4
Rise time (sec.)	290	25
Disturbance – Rejection time (sec.)	600	100

 Table 2. Comparison of performance parameters for G₂(s)

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